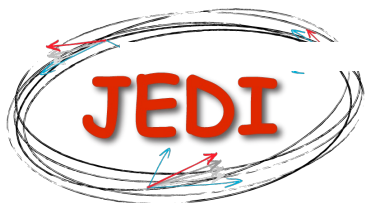


THE SEARCH FOR ELECTRIC DIPOLE MOMENTS OF CHARGED PARTICLES IN STORAGE RINGS

FPCP Conference 2022

25.05.2022 | ACHIM ANDRES ON BEHALF OF THE JEDI COLLABORATION





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Kleine Füchse e.V.

COSY

Mühlengraben

Mühlengraben

Ellebach

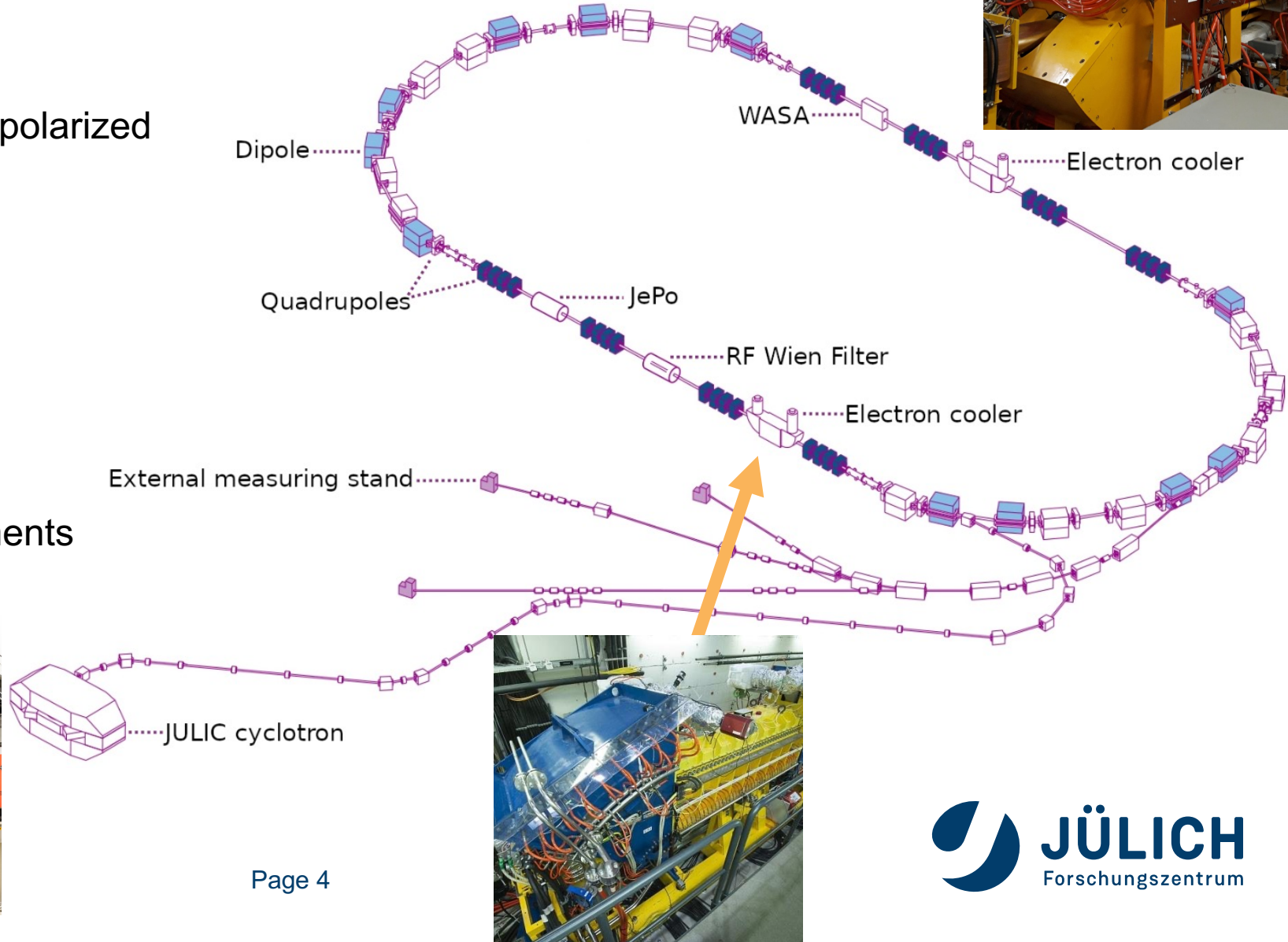
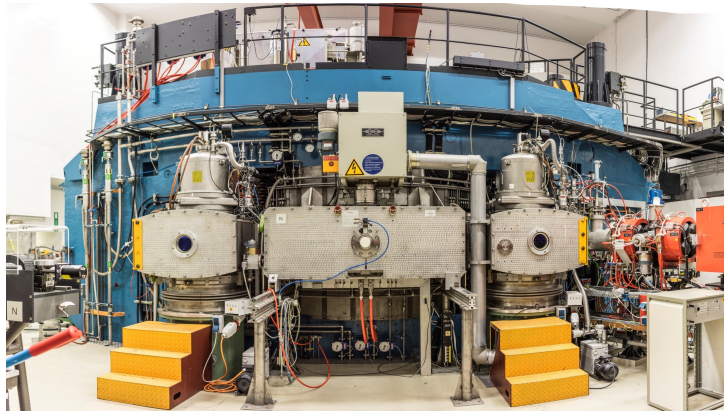
Google Earth

Google BE, GeoBasis-DE/BKG (©2009)

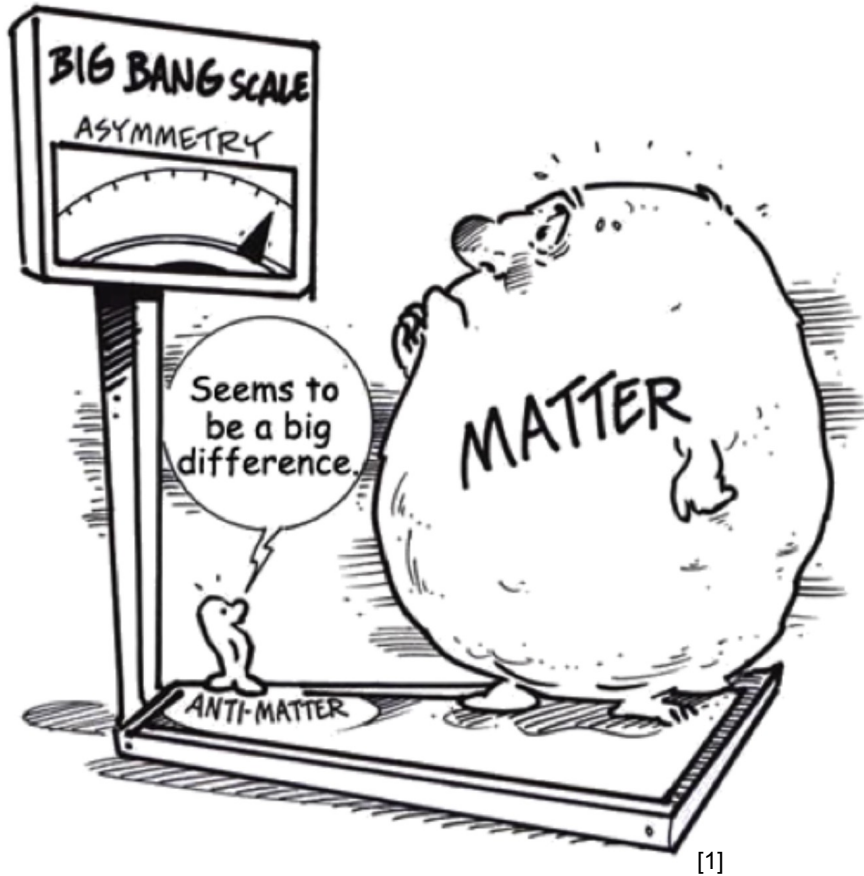
COSY - COOLER SYNCHROTRON

Overview

- Circumference 184 m
- Accelerate and Store **Polarized** / Unpolarized **Deuterons** and Protons
- $p = 0.3 - 3.7 \text{ GeV}/c$
- **Internal** and **external** experiments
- 2 **Electron Coolers**
- 2 **Stochastic Coolers**
- Hadron Physics / **Precision** Experiments



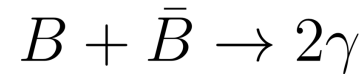
MATTER - ANTIMATTER ASYMMETRY



- Just After Big Bang

$$N_B = N_{\bar{B}}$$

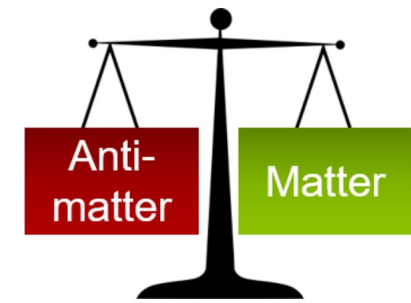
- Universe cooled down below ~ 3000 K
- No Thermal Production



- Baryon Asymmetry

$$\eta = \frac{N_B - N_{\bar{B}}}{N_\gamma} \approx \begin{cases} 10^{-10} & \text{measured} \\ 10^{-18} & \text{from SCM} \end{cases}$$

- According to A. Sakharov: **CP Violation** is needed



ELECTRIC DIPOLE MOMENTS - EDM

- EDM Fundamental property of elementary particles

$$\vec{d} = d \cdot \vec{s}$$

- Magnetic Dipole Moment

$$\vec{\mu} = \mu \cdot \vec{s}$$

- Hamiltonian:

$$\hat{\mathcal{H}} = -d \cdot \vec{s} \cdot \vec{E} - \mu \cdot \vec{s} \cdot \vec{B}$$

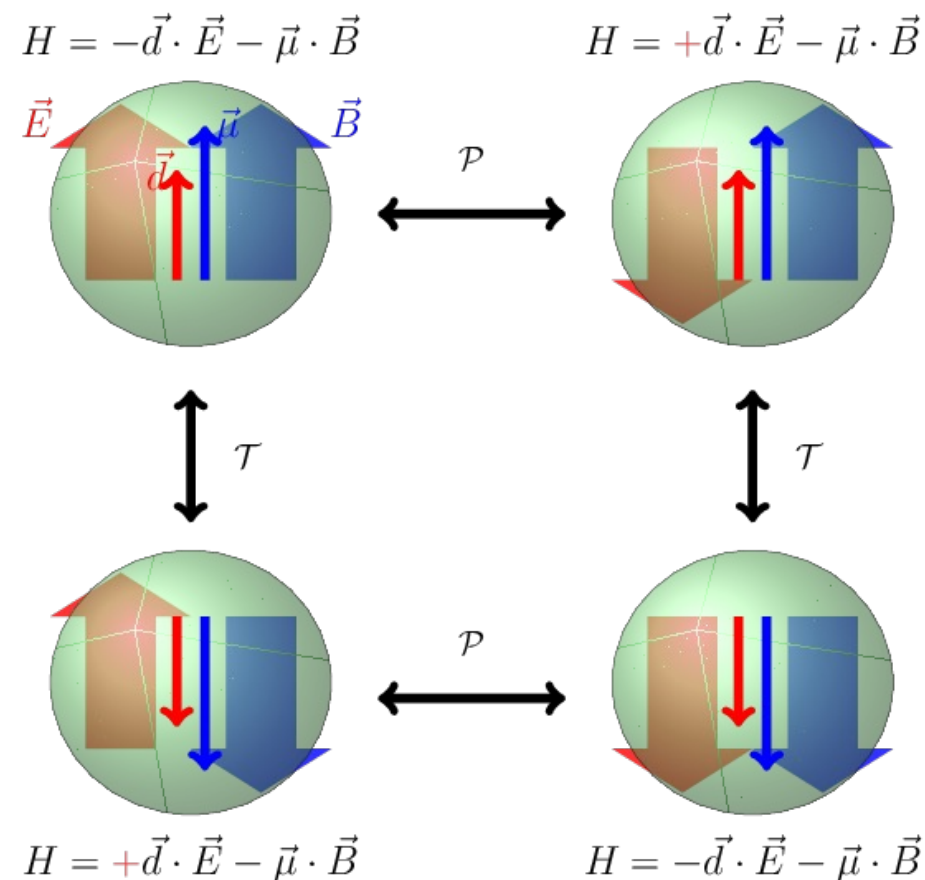
$$\mathcal{P}(\hat{\mathcal{H}}) = +d \cdot \vec{s} \cdot \vec{E} - \mu \cdot \vec{s} \cdot \vec{B}$$

$$\mathcal{T}(\hat{\mathcal{H}}) = +d \cdot \vec{s} \cdot \vec{E} - \mu \cdot \vec{s} \cdot \vec{B}$$

- According to CPT Theorem:

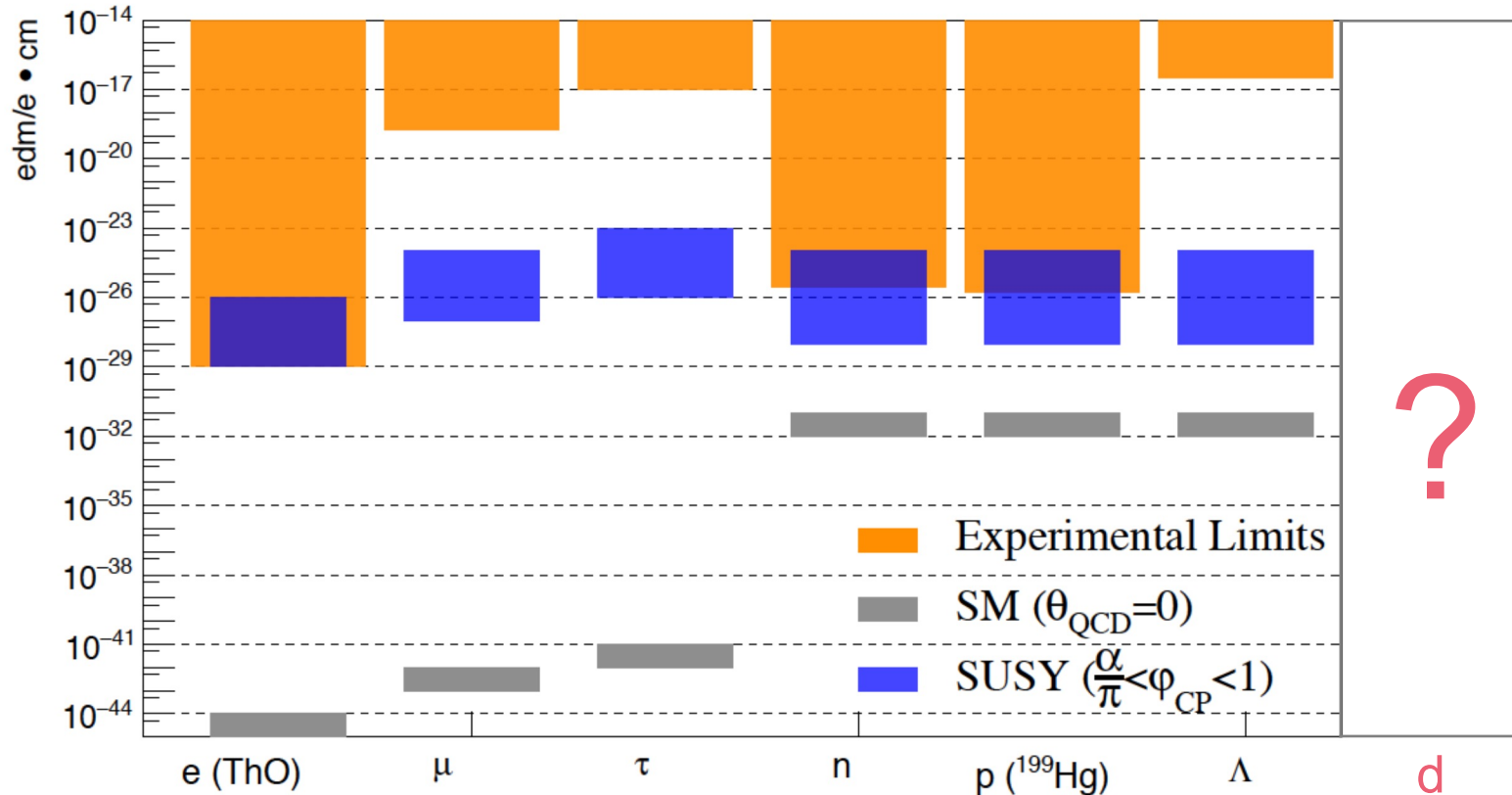
T Violation = CP Violation

- EDM violates both P and CP symmetry



EDM LIMITS

JEDI Collaboration (2011) – Juelich Electric Dipole Moment Investigations



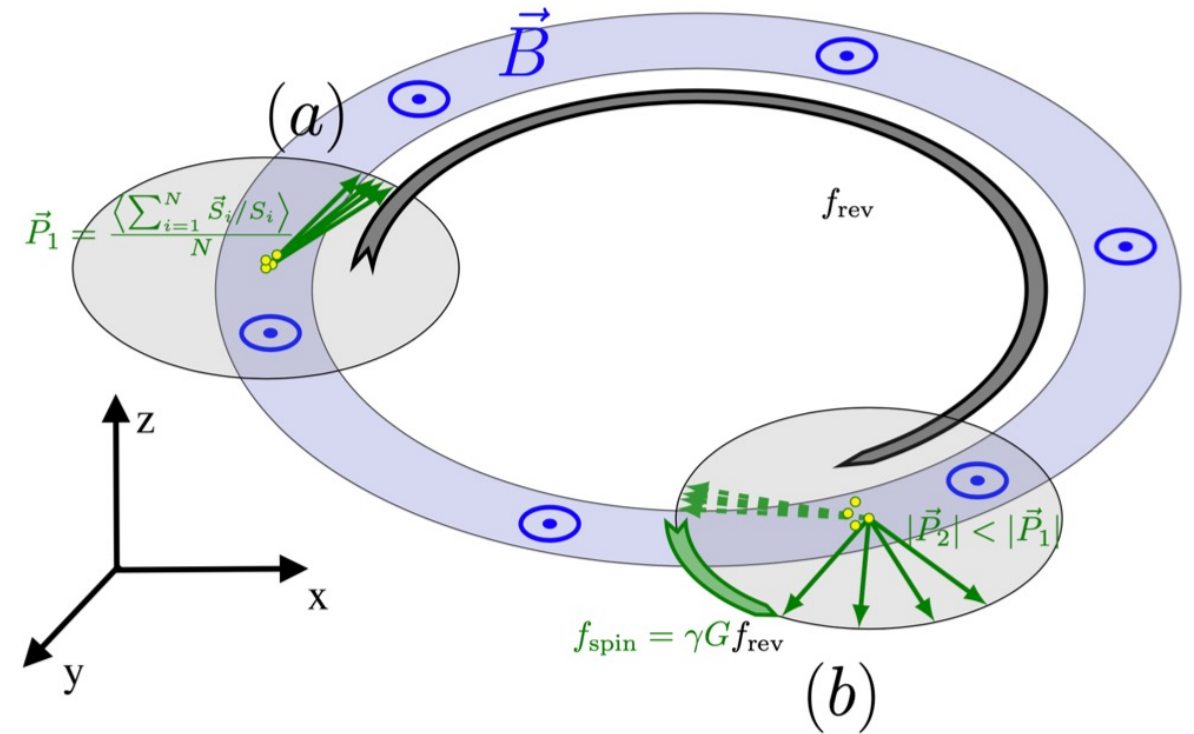
- No direct measurements of **electron**: limit obtained from ThO molecule
- No direct measurements of **proton**: limit obtained from ^{199}Hg
- No measurement at all of deuteron

BEAM POLARIZATION

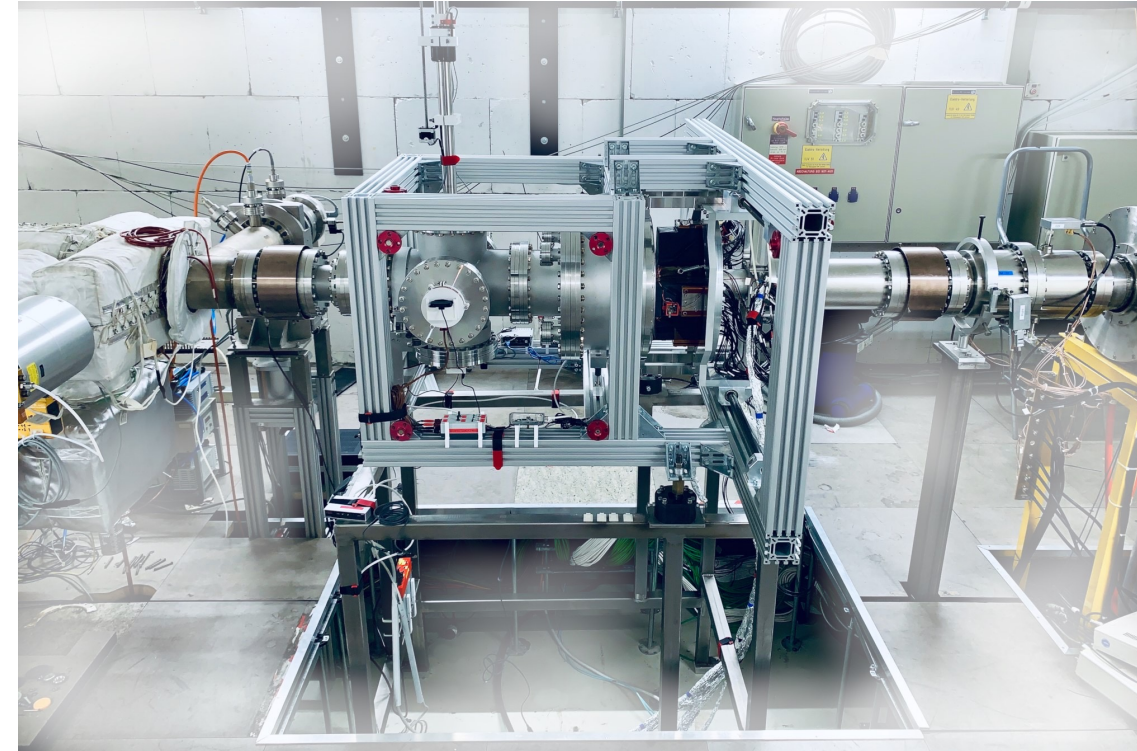
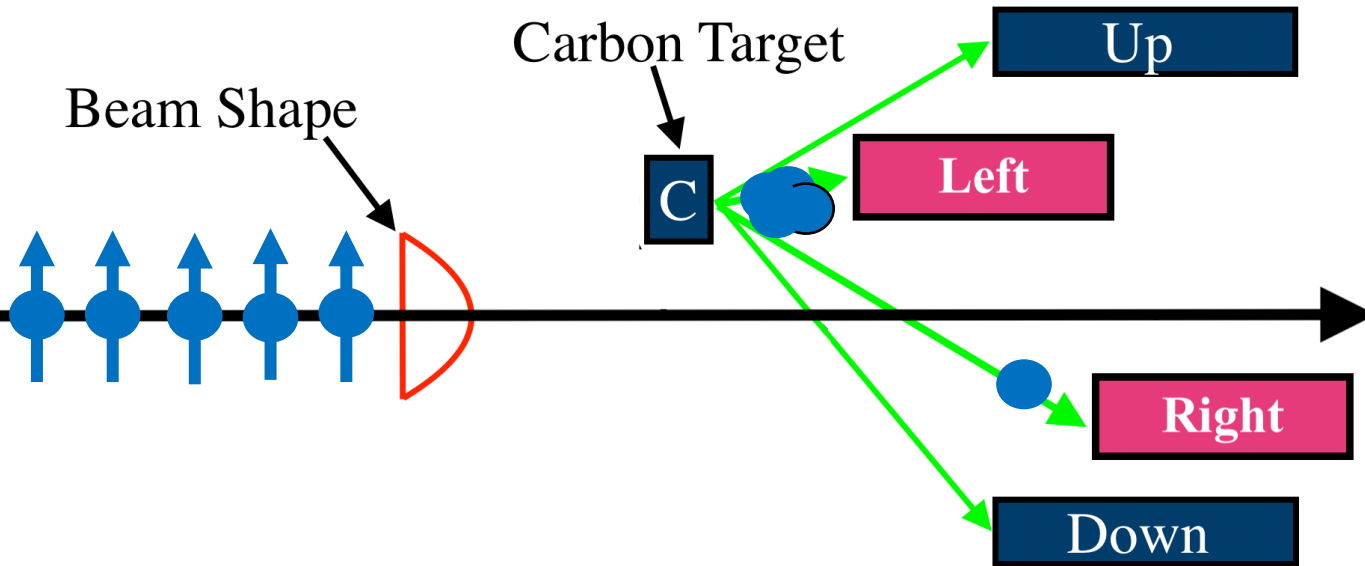
$$\text{Polarisation } \vec{P} = \frac{1}{N} \sum_{i=1}^N \vec{S}_i$$

$$\text{Vertical } p_V = p_z$$

$$\text{Radial } p_H = \sqrt{p_x^2 + p_y^2}$$



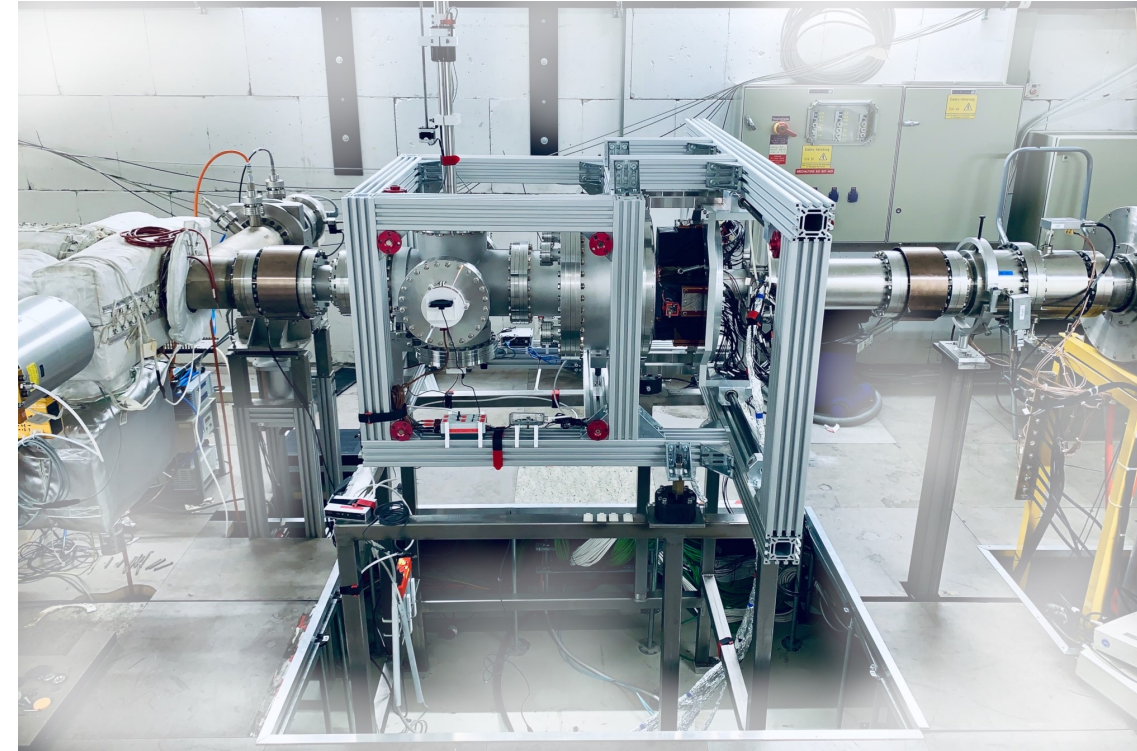
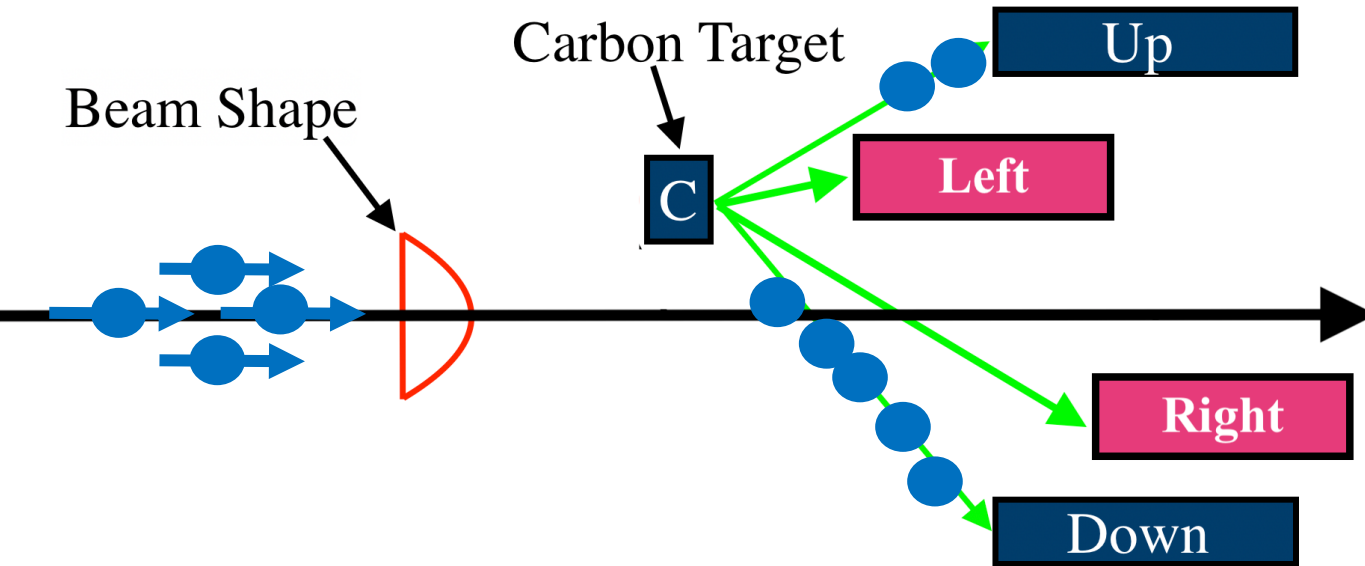
POLARIMETRY



JePo (Jedi Polarimeter)

- **Determination of Beam Polarization**
 - **Vertical Polarization: Left – Right Asymmetry**
 - **Radial Polarization: Up – Down Asymmetry**

POLARIMETRY

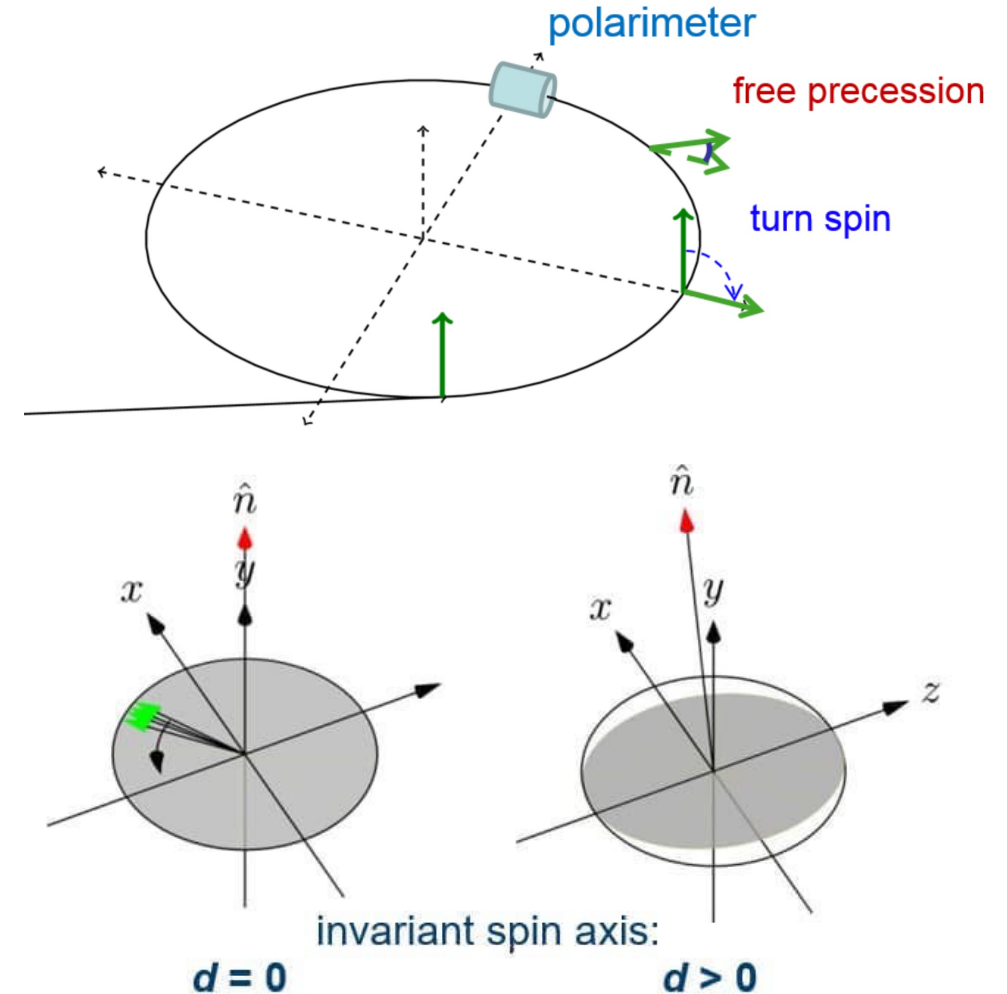


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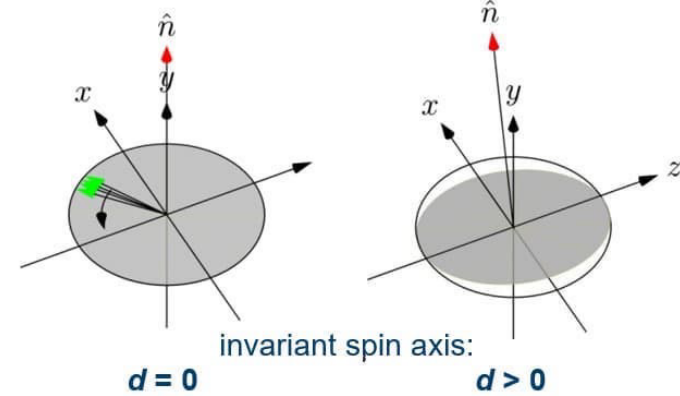
MEASUREMENT PRINCIPLE I

- Measure influence of EDM on beam polarization
- Injection of vertically polarized beam
- Rotate polarization into accelerator plane
- COSY: Magnetic Ring → Polarization Vector precesses around invariant spin axis \hat{n}
- $d > 0$: Tilts \hat{n} in radial x direction
- Goal: Determination of the orientation of \hat{n}
- Problem: Ring imperfections (magnet misalignments,..) lead to rotations of \hat{n} in radial (x) and longitudinal (z) direction

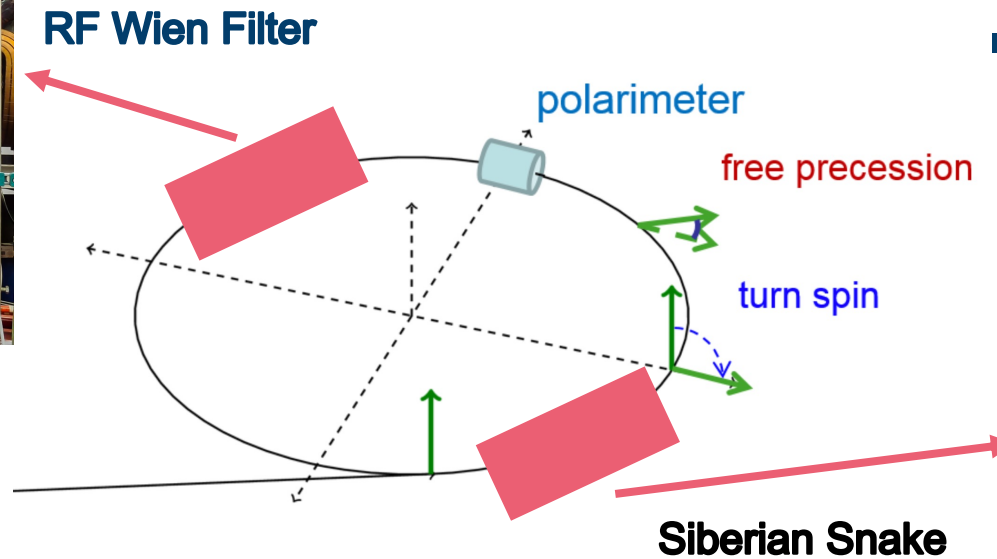
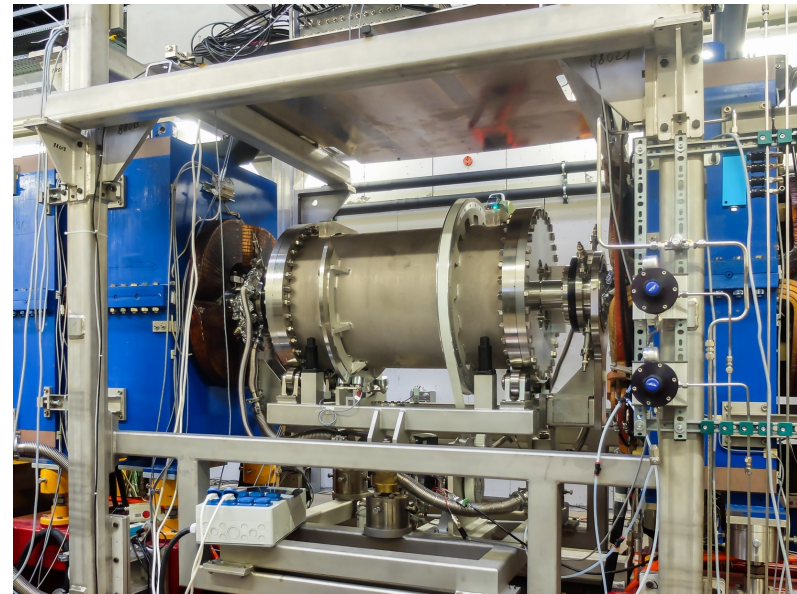
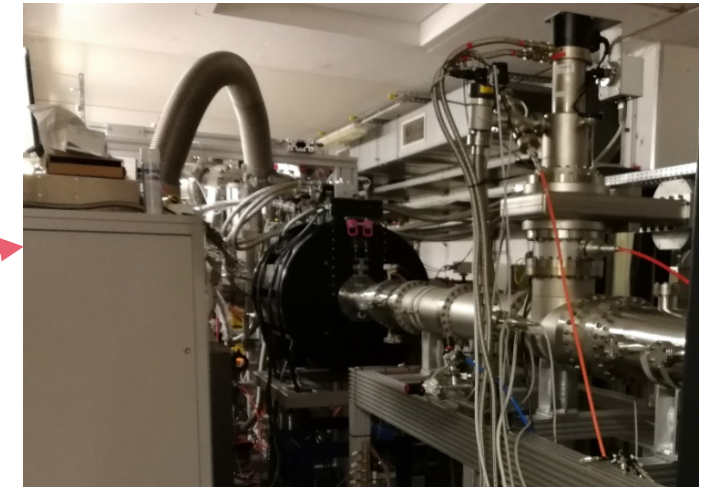


MEASUREMENT PRINCIPLE II

- Goal: Determination of the orientation of \hat{n}



- Longitudinal \vec{B} field
- \vec{B} - Field kicks \hat{n} in longitudinal direction (z) by ξ^{SOL}

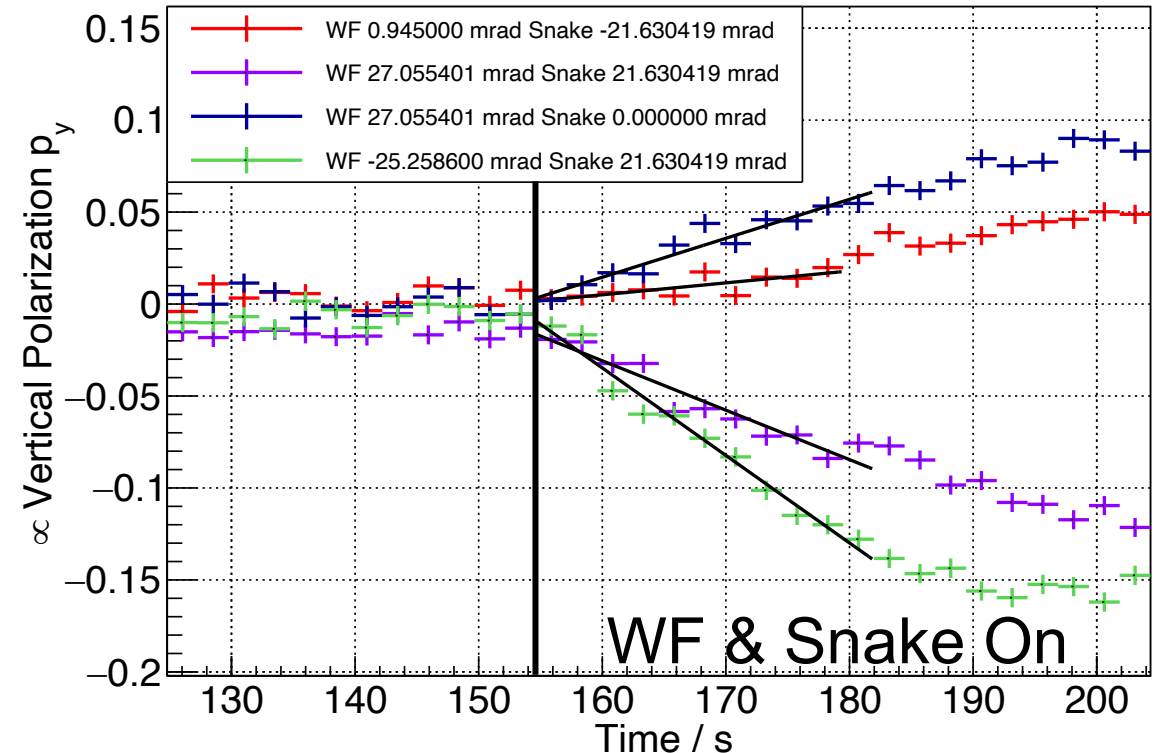


- $\vec{E} \perp \vec{B} \perp \text{Beam} \rightarrow \vec{F}_L = 0$
- \vec{B} - Field kicks \hat{n} in radial direction (x) at WF
- Rotational Device ϕ^{WF}

MEASUREMENT PRINCIPLE III

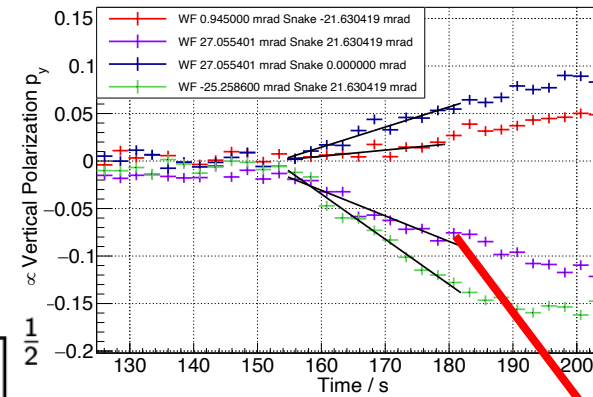
- Fix Wien Filter ϕ^{WF} and Siberian Snake (Solenoid) rotation angle ξ^{SOL}
- Measure **slope** of linear increasing vertical polarisation **after** turning on Wien Filter and Siberian Snake
- Repeat for different settings for **Wien Filter** and **Siberian Snake**
- Resonance Strength is given by

$$\epsilon(\phi^{\text{WF}}, \xi^{\text{Sol}}) \sim |\dot{p}_y|$$



PRELIMINARY RESULTS

$$\epsilon(\phi^{\text{WF}}, \xi^{\text{Sol}}) \sim |\dot{p}_y|$$

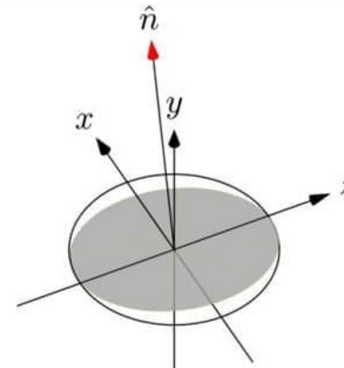
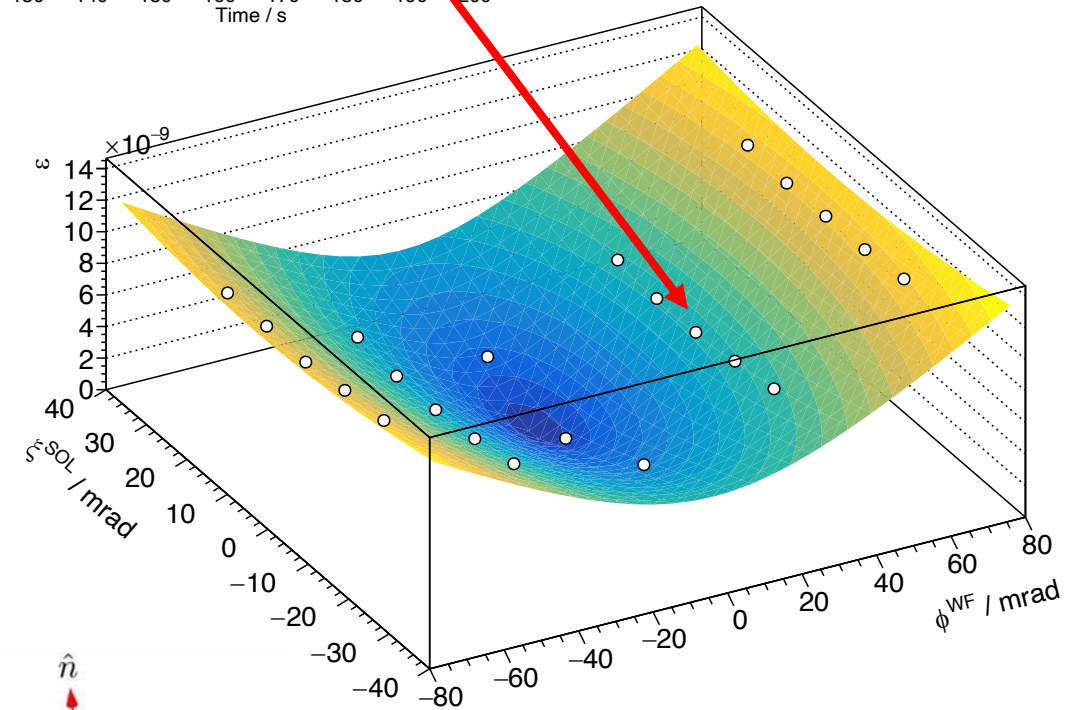


$$\epsilon(\phi^{\text{WF}}, \xi^{\text{Sol}}) = \left[A_{\text{WF}}^2 (\phi^{\text{WF}} - \phi_0^{\text{WF}})^2 + \frac{A_{\text{Sol}}^2}{4 \sin^2(\pi \nu_s)} (\xi_0^{\text{Sol}} - \xi^{\text{Sol}})^2 \right]$$

Orientation of \hat{n} including ring imperfections and EDM signal is:

$$\begin{aligned} \phi_0^{\text{WF}} &= -2.91(8) \text{ mrad} \\ \xi_0^{\text{Sol}} &= -5.22(7) \text{ mrad} \end{aligned}$$

- 1) **Minimum** represents invariant spin axis orientation including EDM and ring imperfections
- 2) **Simulated** spin tracking shall determine orientation of stable spin axis **without** EDM
- 3) **EDM** is determined from difference of 1) and 2)



ACHIEVEMENTS @ COSY

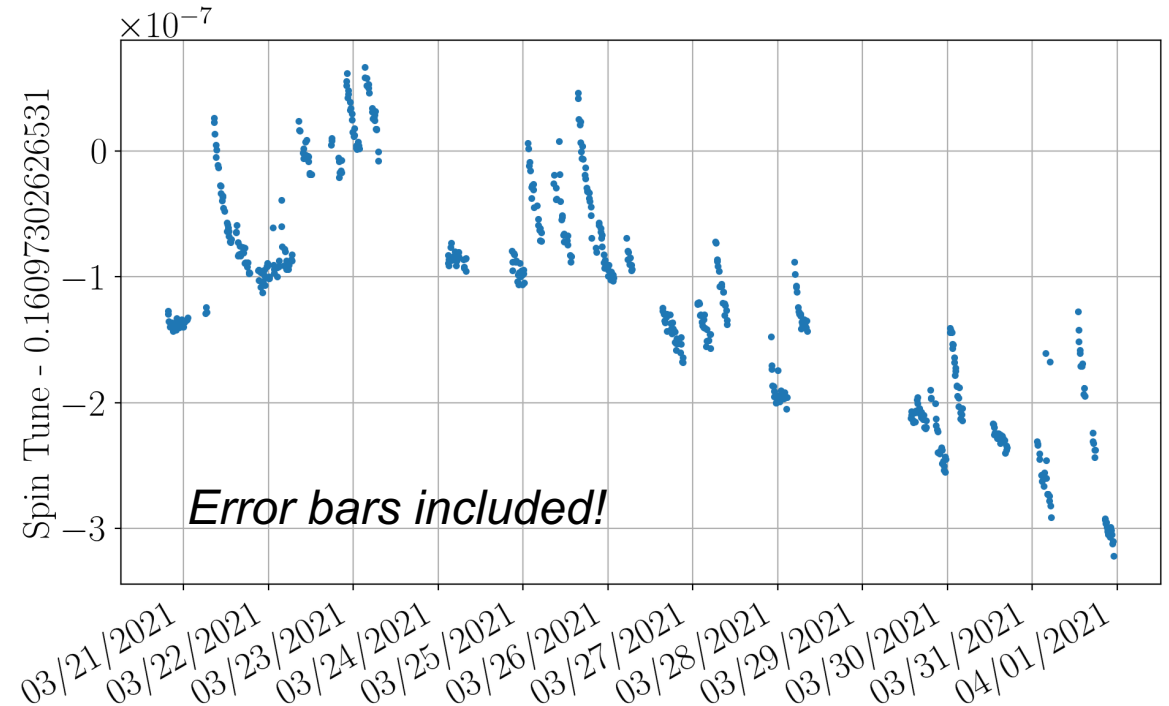
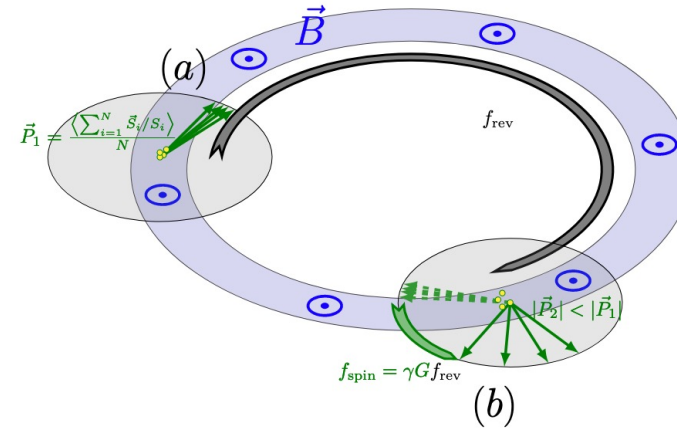
Spin Tune (PRL 115, 094801 2015)

$$\Omega_{\text{MDM}} = |\gamma G \Omega_{\text{rev}}| \approx 121 \text{ kHz}$$

$$\nu_s = \frac{\Omega_{\text{MDM}}}{\Omega_{\text{rev}}} = \gamma G \approx -0.161$$

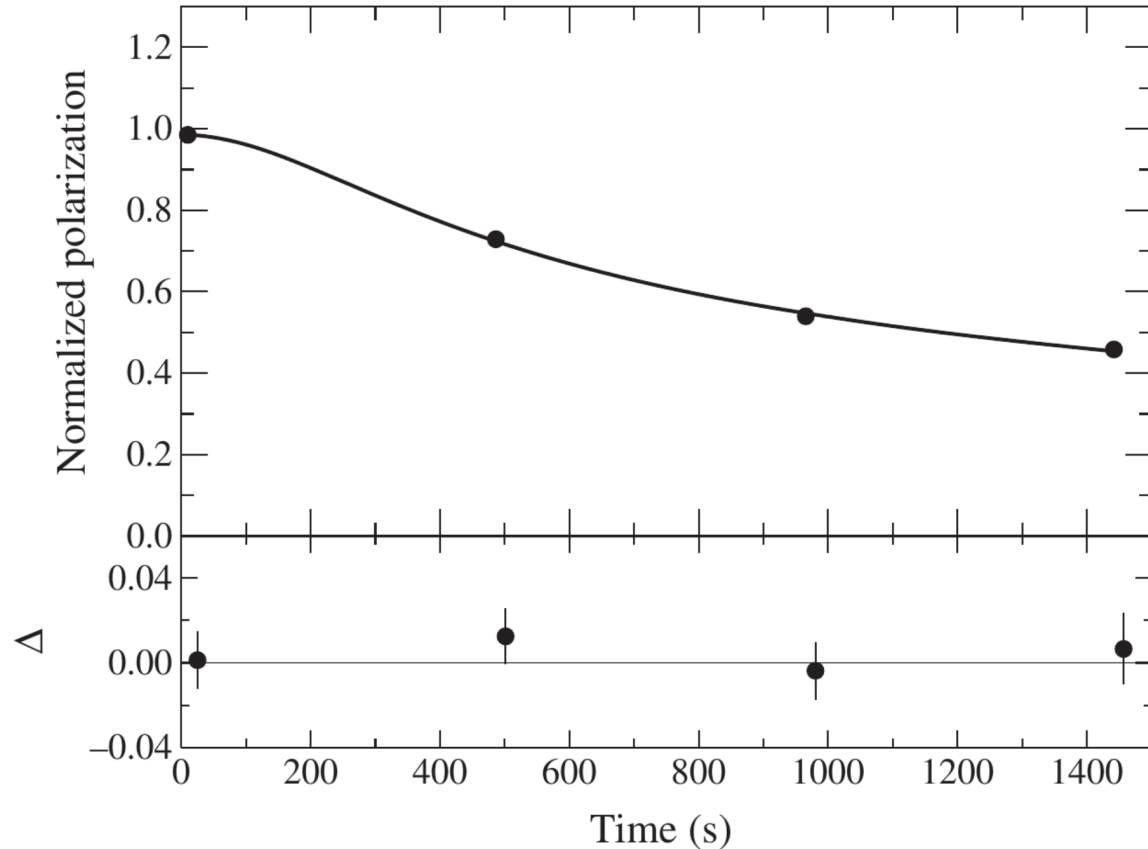
$$\Delta\nu_s/\nu_s \approx 10^{-10}$$

- Spin Tune is crucial for:
 - Analysis of **Radial Polarization**
 - **Operation of RF Wien Filter**
 - **Calibration of Siberian Snake**
 - Understanding **Systematics**

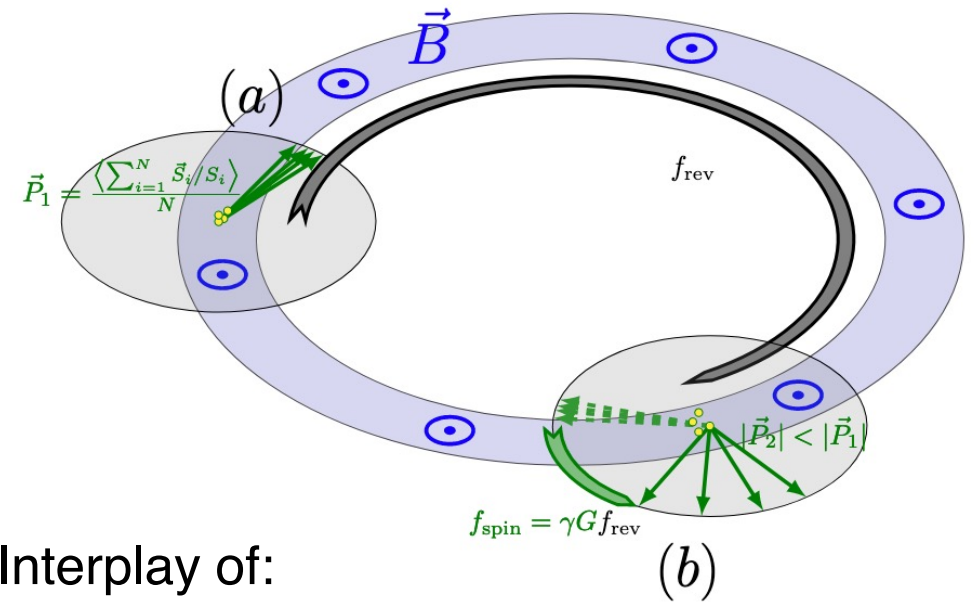


ACHIEVEMENTS @ COSY

Spin Coherence Time - Deuterons (PRL 117, 054801 2016)



Spring 2015: 1/e Lifetime = (2280 +/- 336) s



■ Complex Interplay of:

- Beam Emittance (Beam Cooling)
- Beam Chromaticity
- Orbit Deviations
- Momentum Spread
- ...

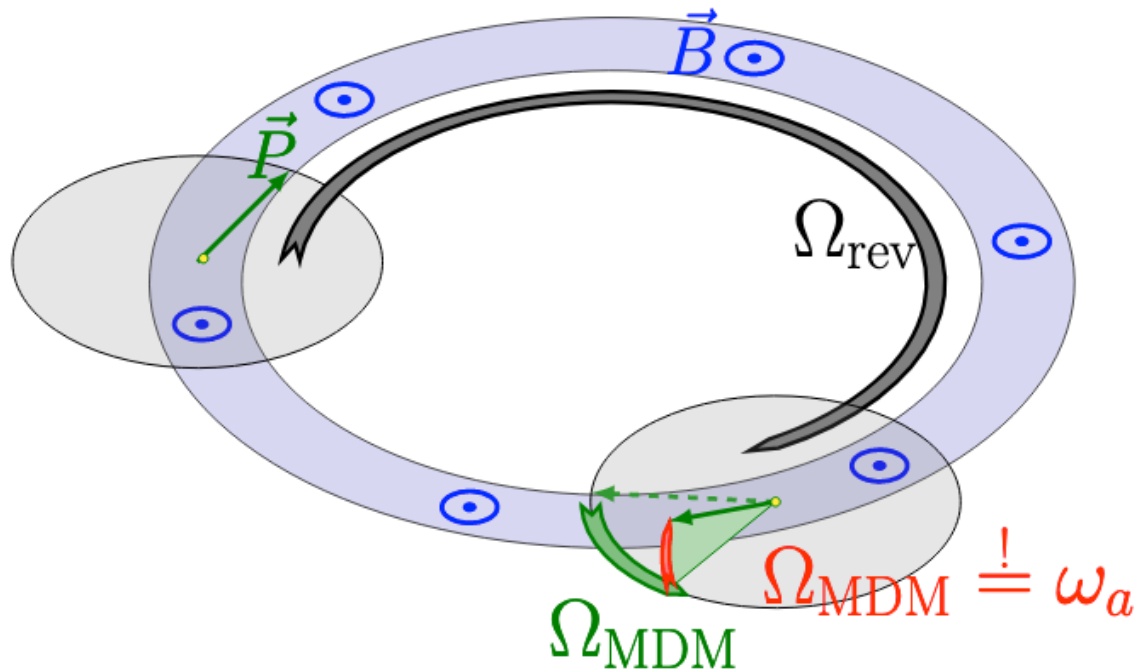
$$\nu_s = \frac{\Omega_{\text{MDM}}}{\Omega_{\text{rev}}} = \gamma G \approx -0.161$$

$$\sigma_{\text{stat}}^{\text{EDM}} \propto 1/\text{SCT}$$

SEARCH FOR AXIONS / ALPS

PRINCIPLE OF STORAGE RING AXION/ALP EXPERIMENT

Swathi Karanth, Seung Pyo Chang



- Axions and ALPs:
 - Solution of strong CP Problem
 - Dark Matter Candidate
- From axion gluon coupling, a time **varying** EDM can be induced
- **Oscillating** EDM d
- Oscillation Frequency: axion **mass**

$$d = d_{DC} + d_{AC} \sin(\omega_a t + \varphi_a)$$

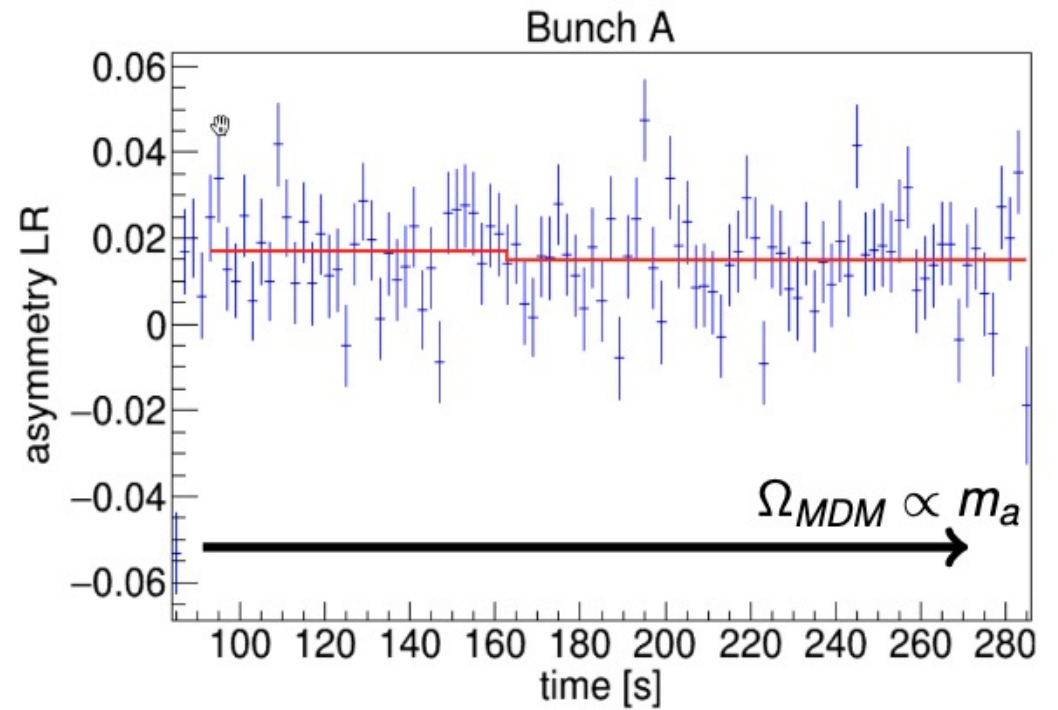
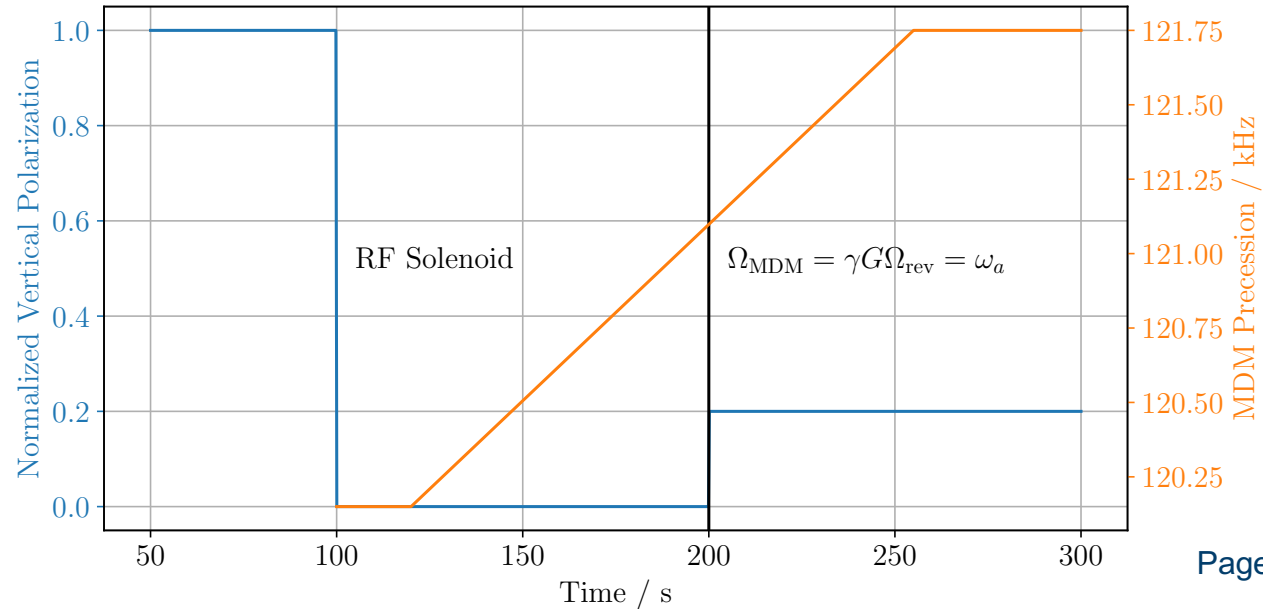
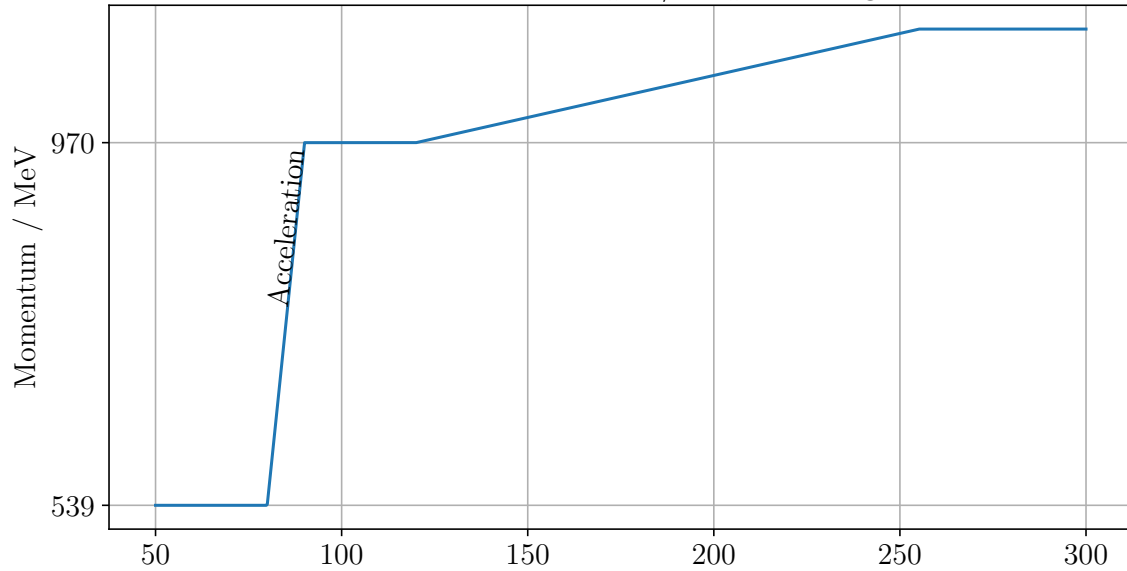
$$\omega_a = \frac{m_a c^2}{\hbar}$$

- Vertical Polarization **Build up** if

$$\Omega_{MDM} = \gamma G \Omega_{rev} \stackrel{!}{=} \omega_a$$

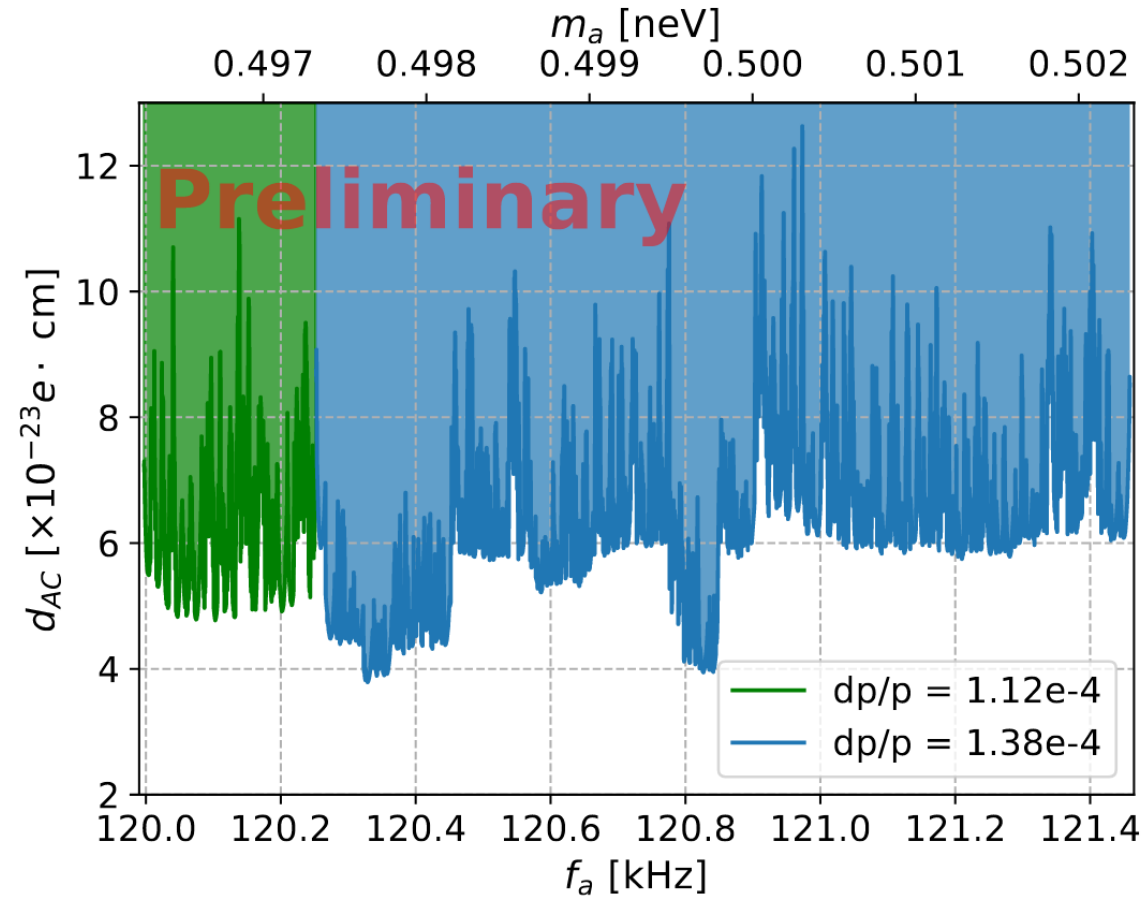
MEASUREMENT PRINCIPLE

Measurement Principle / Expected Signal



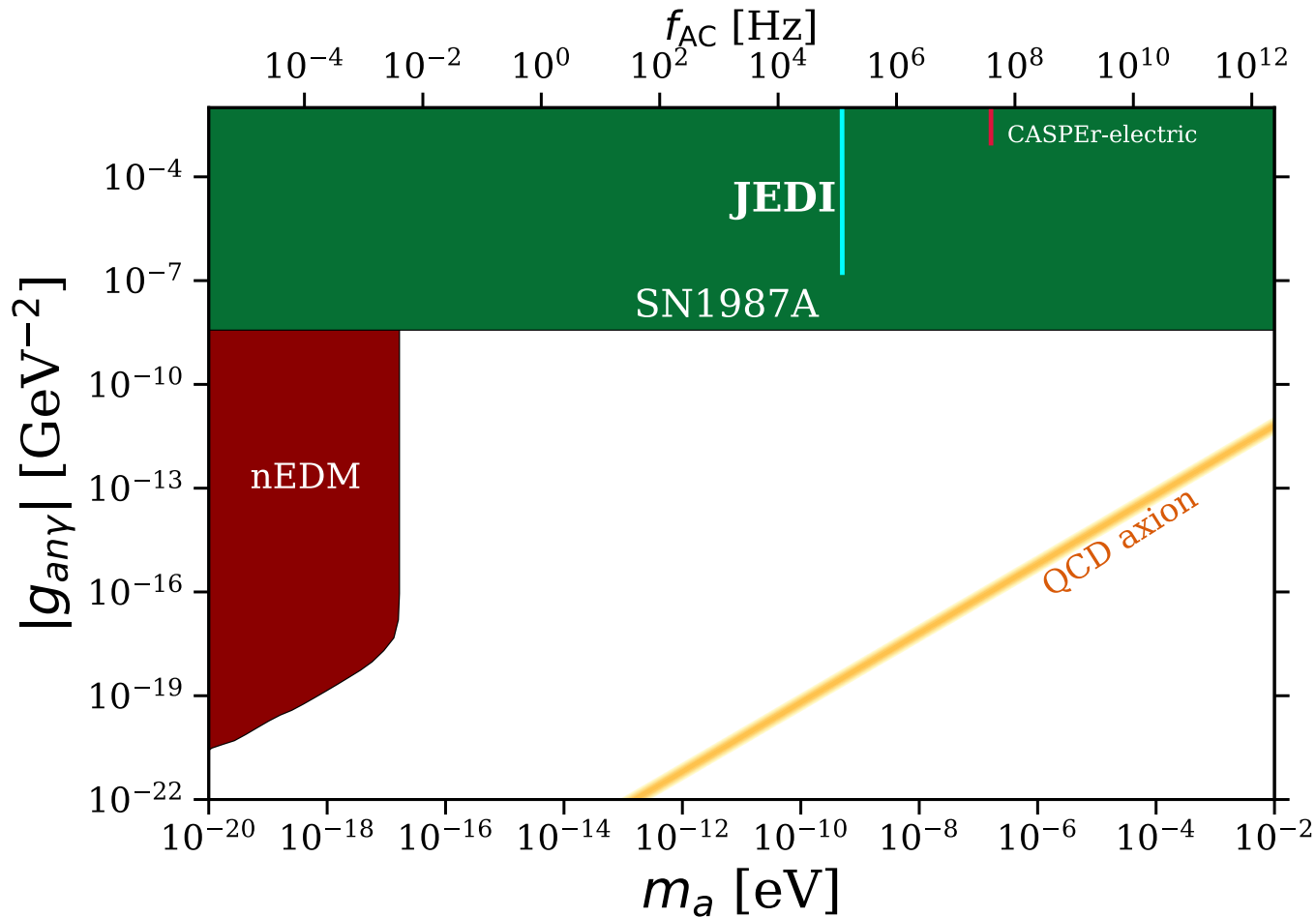
- Momentum Scan
= Ω_{MDM} Scan
= Axion Mass Scan
- Scanned Frequency Range: 120.05 – 121.45 kHz
- Covered Axion Mass Range: $(4.96 - 5.02) \cdot 10^{-10}$ eV

PRELIMINARY RESULTS



- Results from many scans
- 4 weeks of beam time in Spring 2019

AXION ANOMALOUS COUPLING TO GLUONS

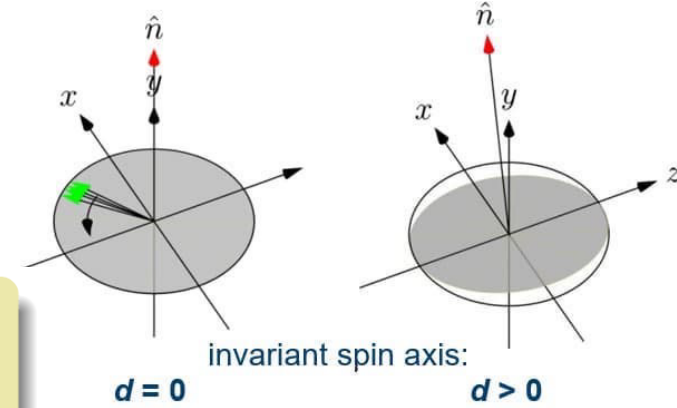


- Calculate upper limits for gluon langrangian axion coupling constant
- Blue „needle“ represents the result
- Could be longer (and thinner) if we spent more time measuring only one frequency
- Run at a given mass

WHAT COMES NEXT?

STAGED APPROACH // FROZEN SPIN

$$\frac{d\vec{s}}{dt} = \vec{\Omega} \times \vec{s} = \frac{-q}{m} \left[\underbrace{G\vec{B} + \left(G - \frac{1}{\gamma^2 - 1} \right) \vec{v} \times \vec{E}}_{\vec{\Omega}_{\text{MDM}} = 0, \text{ frozen spin}} + \underbrace{\frac{\eta}{2} (\vec{E} + \vec{v} \times \vec{B})}_{= \vec{\Omega}_{\text{EDM}}} \right] \times \vec{s}$$

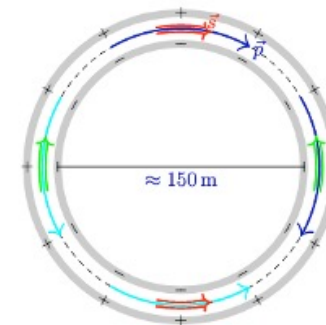
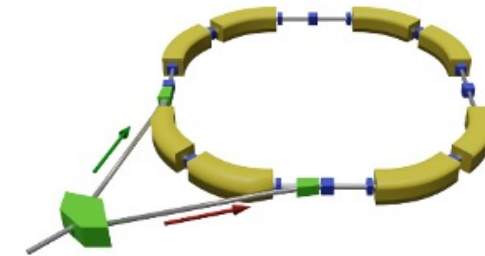


- Increase **sensitivity** and decrease **systematics**: $\vec{\Omega}_{\text{MDM}} = 0$
- Combined E/B Ring (e, p, d, ^3He):

$$G\vec{B} + \left(G - \frac{1}{\gamma^2 - 1} \right) \vec{v} \times \vec{E} \stackrel{!}{=} \vec{0}$$

- Pure Electric Ring (only for protons / electrons):

$$G = \frac{1}{\gamma^2 - 1} \rightarrow G > 0$$



• magic momentum
(701 MeV/c)

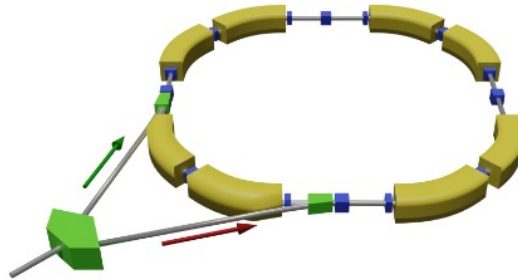
STAGED APPROACH

precursor experiment
at Cooler Synchrotron COSY



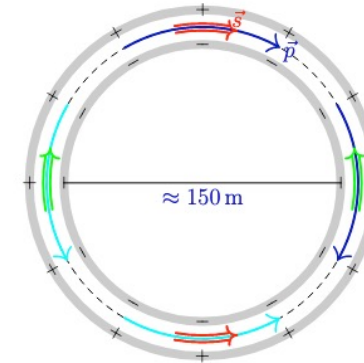
- magnetic storage ring

prototype ring



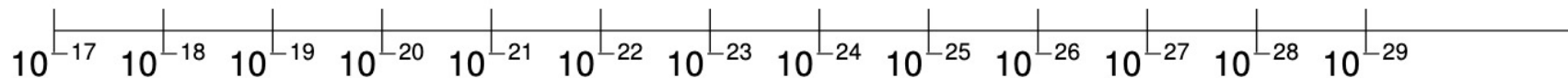
- initially electrostatic storage ring
- simultaneous \odot and \ominus beams

dedicated storage ring



- magic momentum
(701 MeV/c)

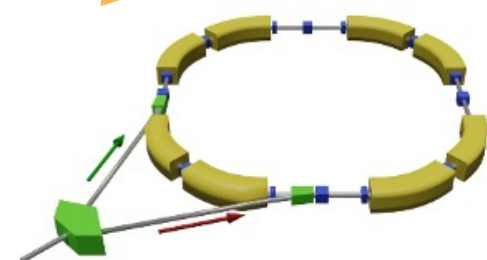
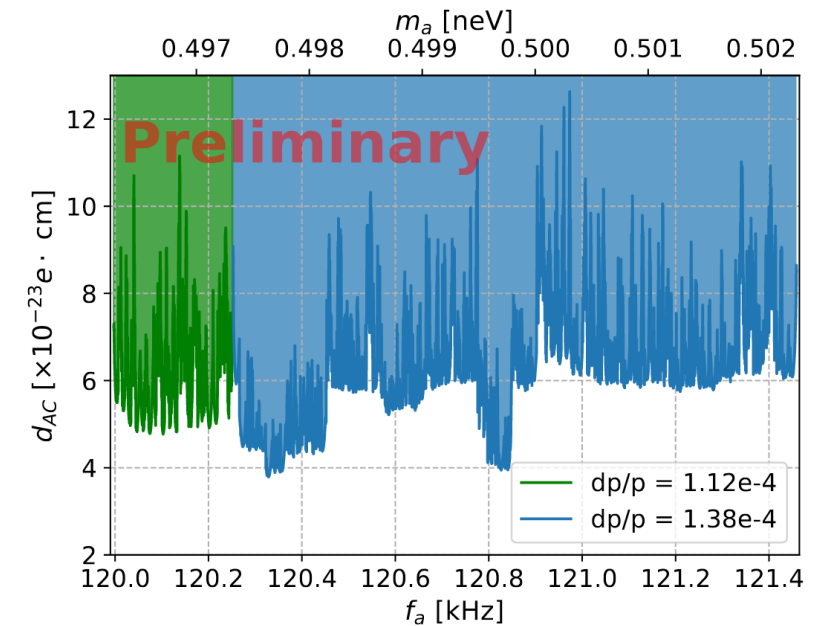
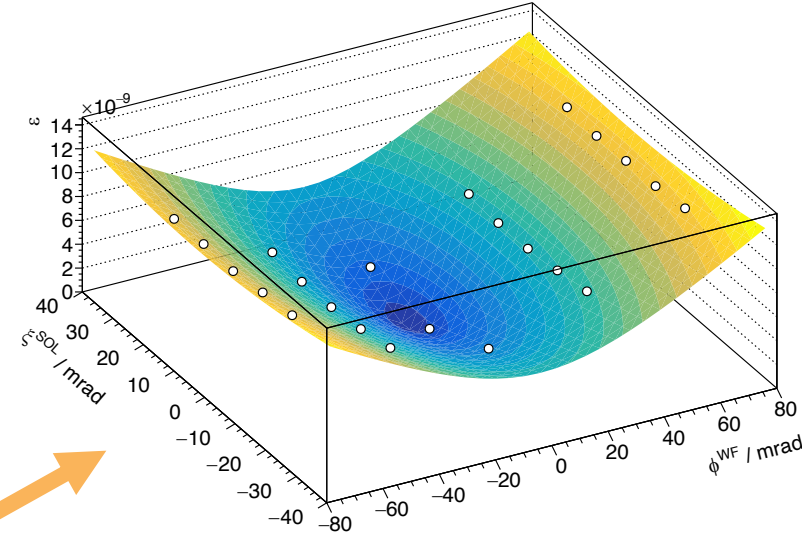
$$\sigma_{EDM}/(e \cdot \text{cm})$$



- Agreement within community on **staged** approach:
 - **First** direct **EDM** measurement (deuterons) and many **basics** studies with **COSY**
 - Next step: **prototype** ring to **gain experience** and better understand **limitations** and **their mitigations**

SUMMARY

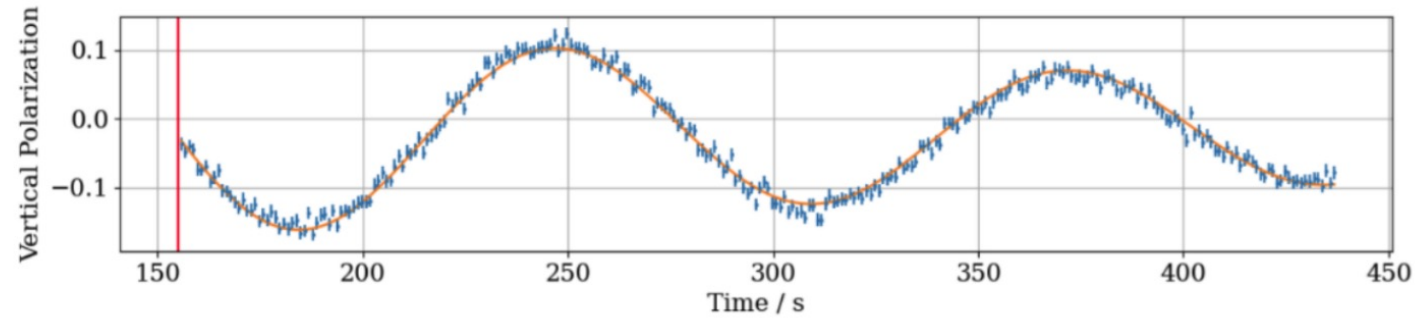
- Introduction to COSY
- Spin Physics Program @ COSY
 - EDMs as a source for CP Violation
 - Observe EDM effect on beam polarization
 - Preliminary results
 - Search for **Axions/ALP** @ COSY
- Outlook: Staged Approach
 - Combined E/B Ring
 - Pure Electric Ring



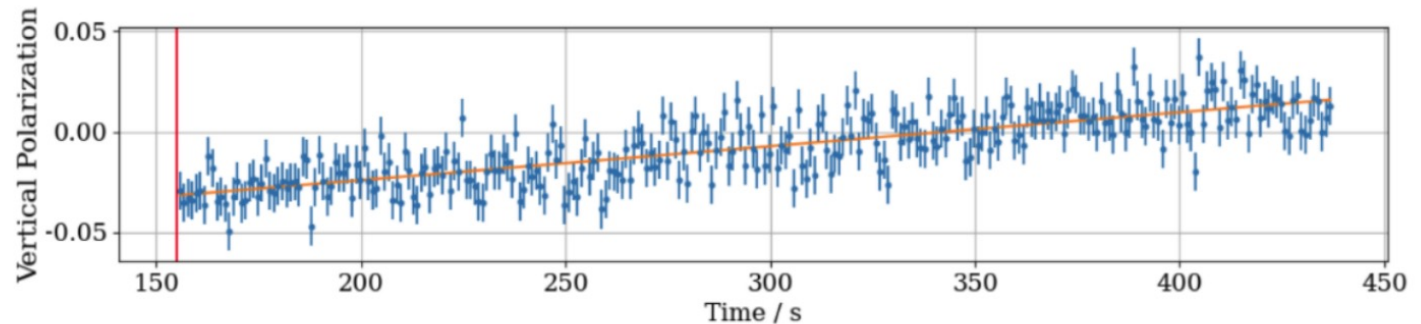
OUTLOOK

- Gate RF Wien Filter for an individual bunch
- Signal is an oscillation
- Similar Maps are measured as previously shown
- Polarization Decoherence is clearly visible

▶ Signal bunch



▶ Pilot bunch



REFERENCES

- http://www.phy.olemiss.edu/HEP/godang/Umiss_30Jan07.pdf (seen 22.05.2022) [1]
- https://collaborations.fz-juelich.de/ikp/jedi/public_files/usual_event/dpg19_vponcza.pdf (seen 24.05.2022) [2]

BACK UP

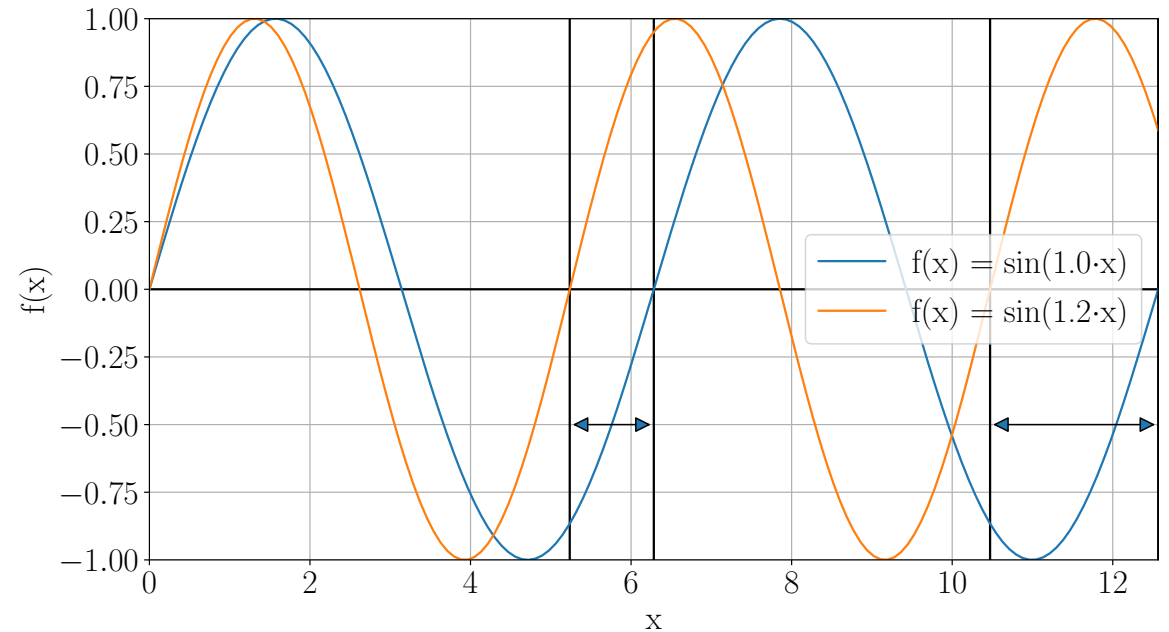
SPIN TUNE DETERMINATION

Spin-dependent differential cross section on unpolarized target:

$$N_{U,D} \propto 1 \pm \frac{3}{2} p_x A_y \sin(\underbrace{\nu_s \cdot f_{\text{rev}}}_{f_s = -120.7 \text{ kHz}} \cdot t), \text{ where } f_{\text{rev}} = 750.0 \text{ kHz}$$

Problem: $\nu_s \approx 0.16 \hat{\approx} 120 \text{ kHz}$ and Detector Rate 5000 s^{-1}

$$\begin{aligned} \nu_s(n) &= \nu_s^{\text{fix}} + \frac{1}{2\pi} \frac{d\tilde{\phi}}{dn} \\ &= \nu_s^{\text{fix}} + \Delta\nu_s(n) \end{aligned}$$



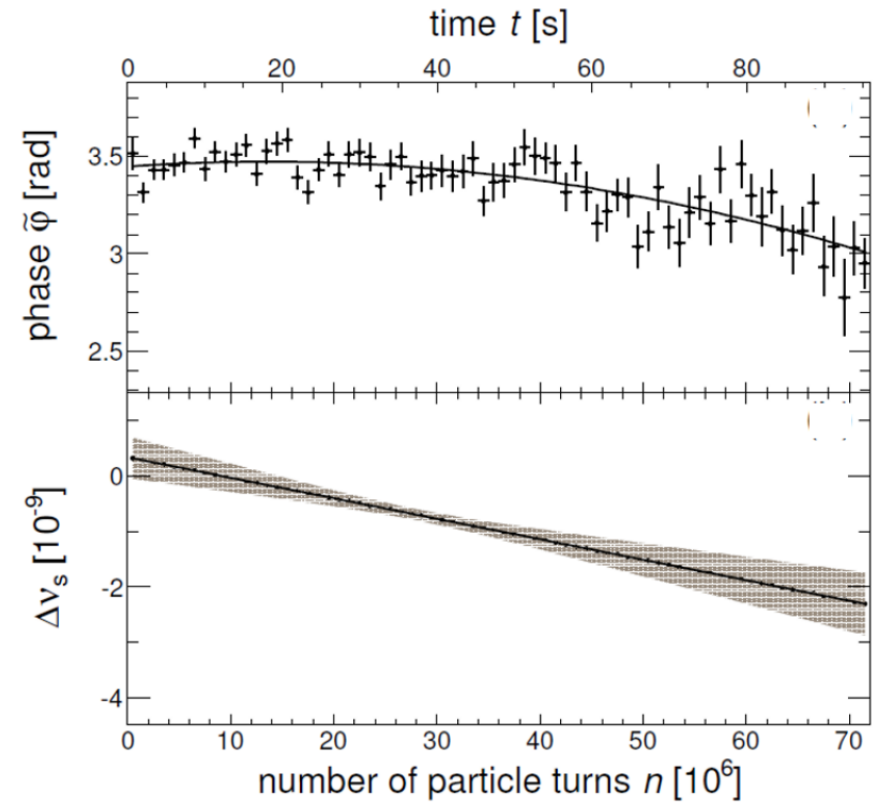
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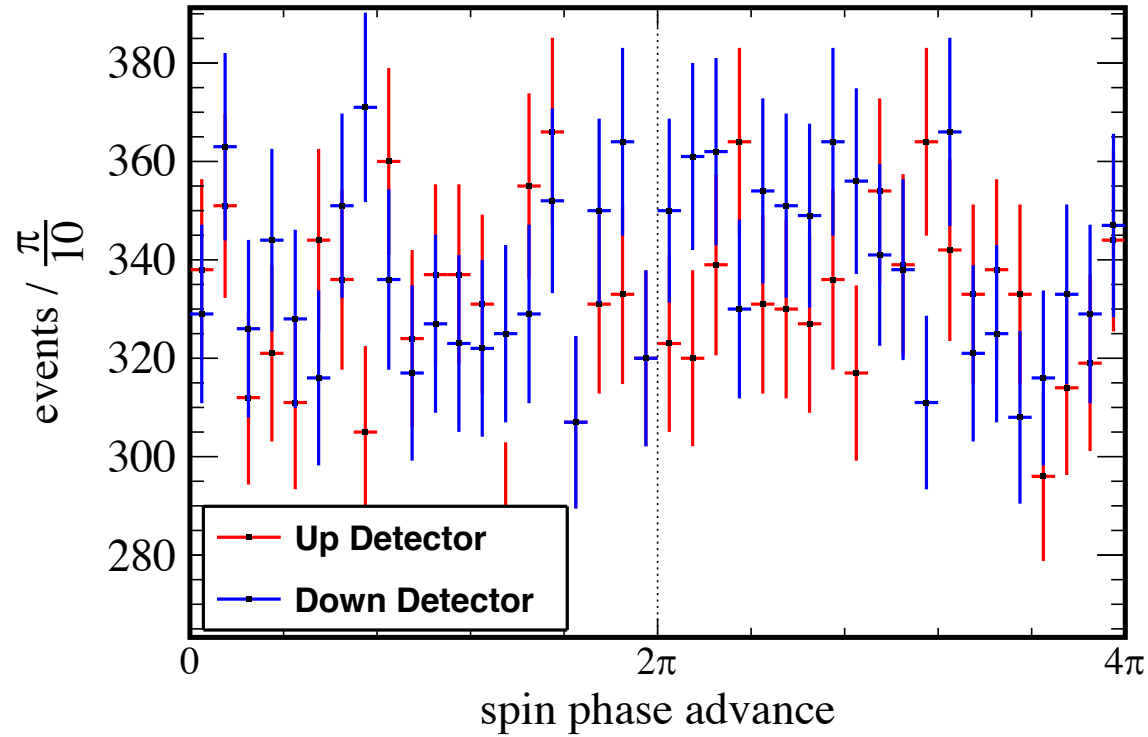
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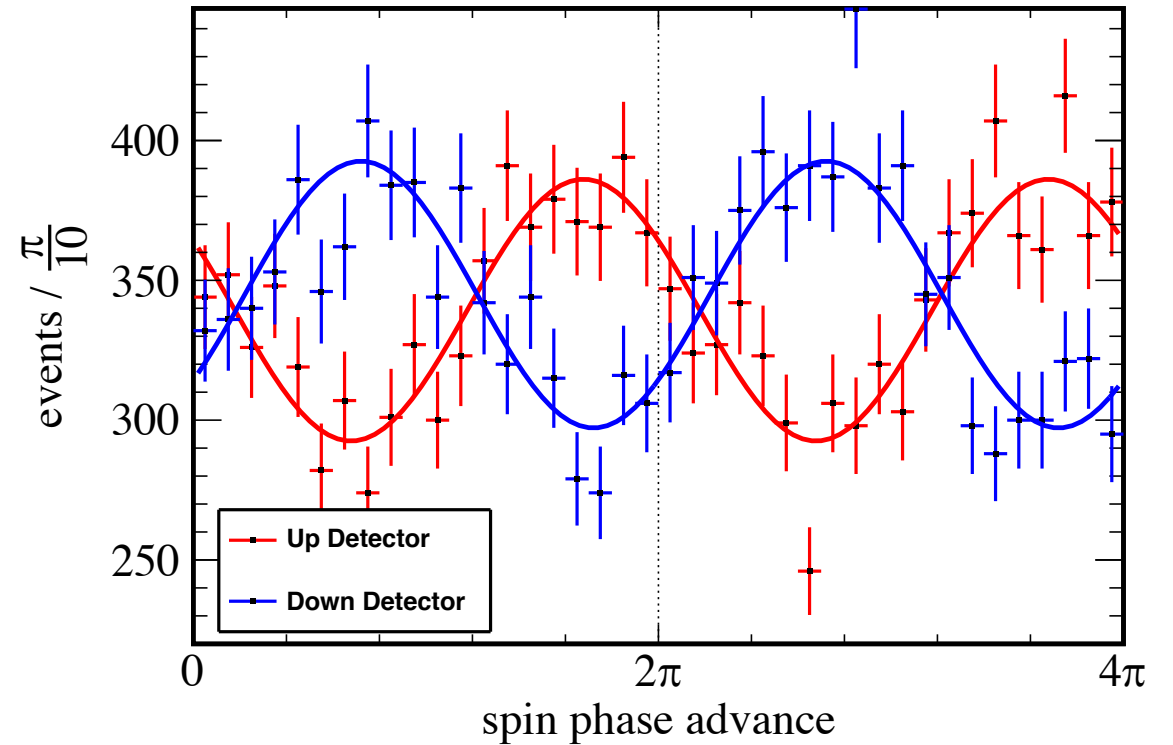
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SPIN TUNE DETERMINATION



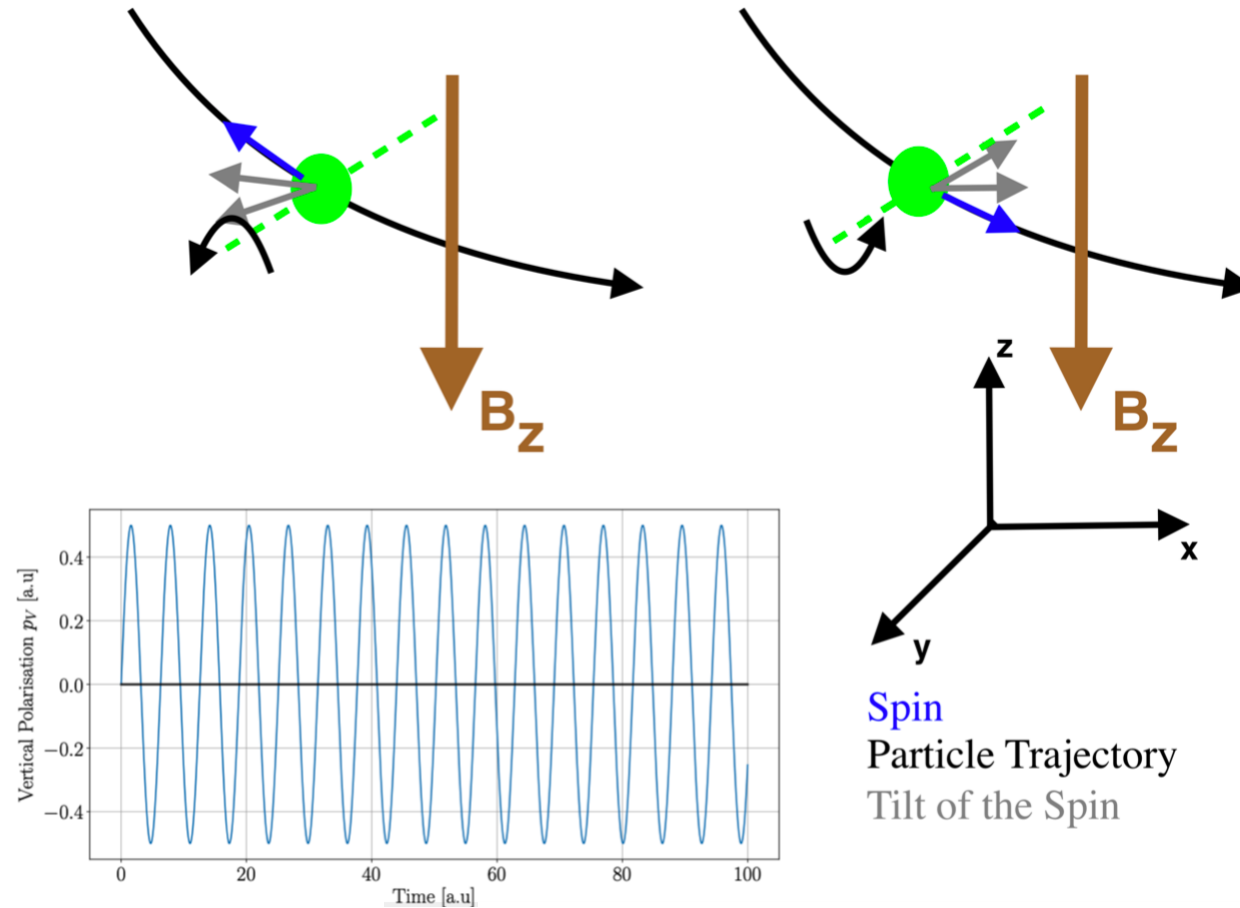
Scanning Frequency \neq spin tune



Scanning Frequency = spin tune

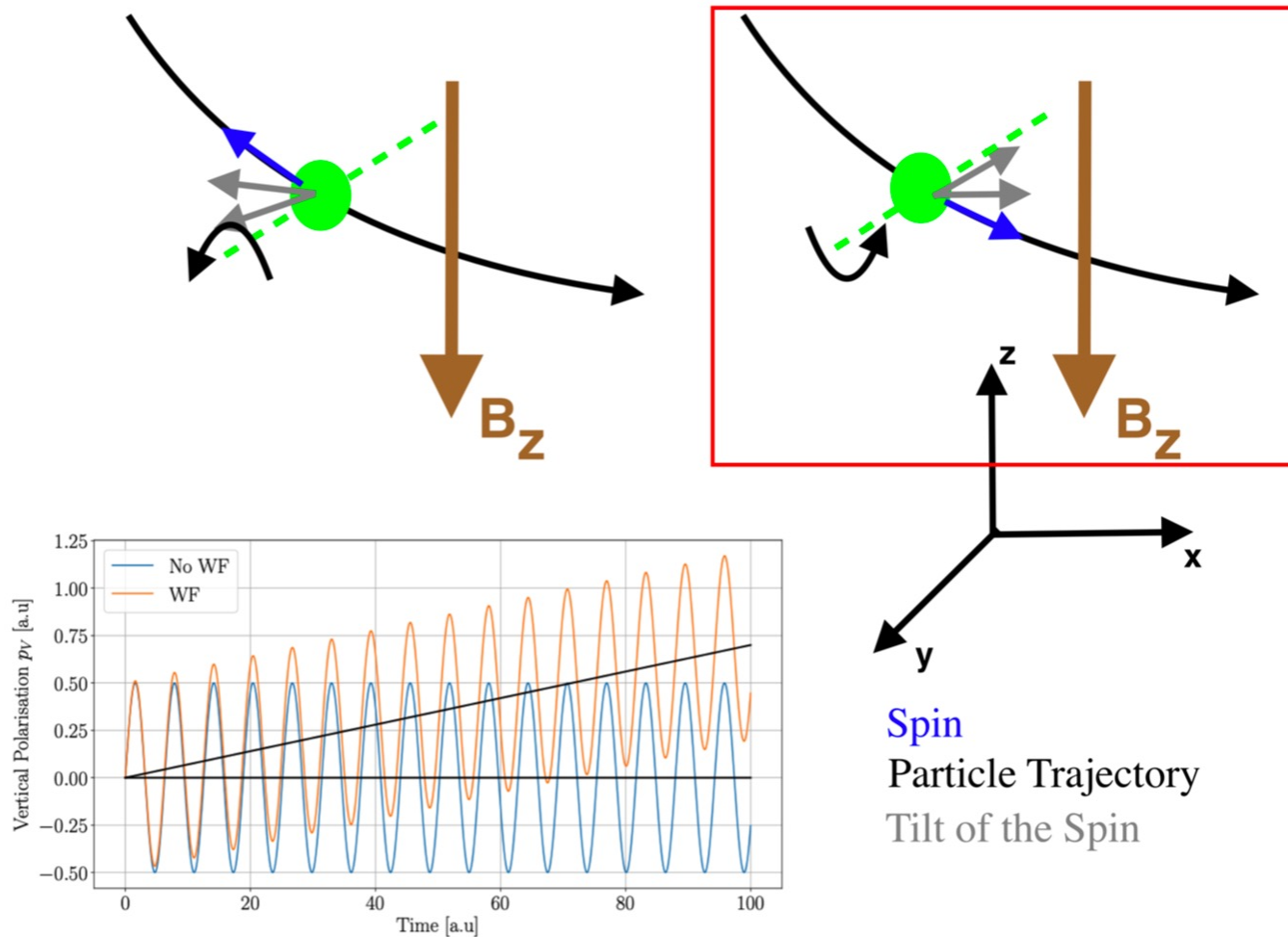
MEASUREMENT PRINCIPLE I

- ▶ Uniform polarisation rotation
- ▶ Tilt of the polarisation due to the EDM: 50% up and 50% down
- ▶ No net signal measurable
- ▶ $\text{EDM} \propto \text{Amplitude}$



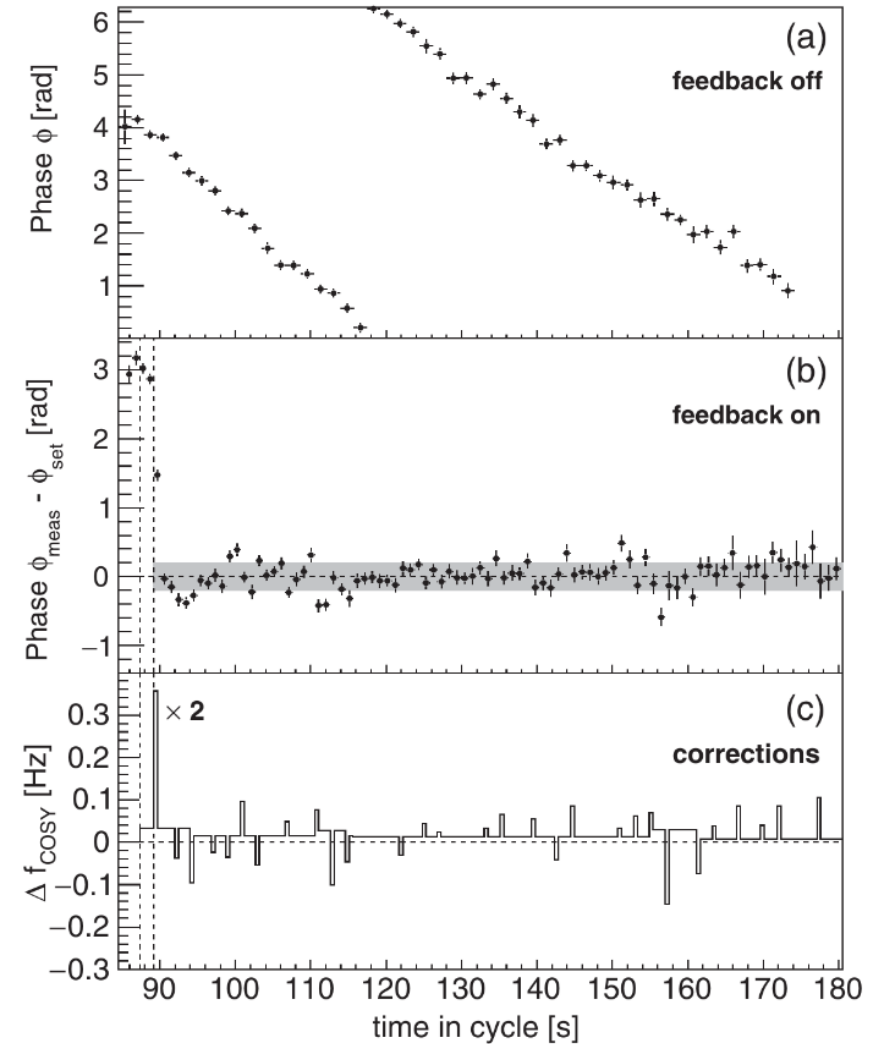
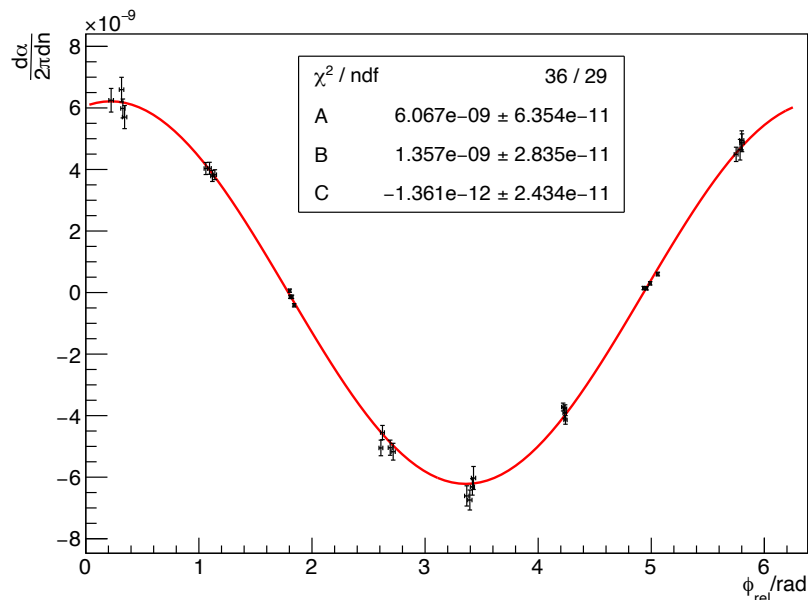
MEASUREMENT PRINCIPLE II

- ▶ RF WF rotates polarisation around the vertical axis
- ▶ Right (or left) scenario is preferential
- ▶ Vertical Polarisation accumulates



PHASE FEEDBACK / QUASI FROZEN SPIN

- Rotating Polarization
- RF Wien Filter
 - They both operate on the same frequency!
- Phase between both frequencies can be fixed!
 - By adjusting Wien Filter RF
- Polarization enters Wien Filter at the same angle
 - Asymmetry is broken → **Build Up**



STATISTICAL UNCERTAINTIES AXION/ALP SEARCH

